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Ch 4 \# 67) A fair coin is tossed $n$ times, and the number of heads, $N$, is counted. The coin is then tossed $N$ more times. Find the expected total number of heads generated by
$\qquad$ this process. $\qquad$
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Question 2: Use R and Monte Carlo Integration (but not the built in normal pdf or cdf) with $n=1000$ to estimate $P(0<Z<1)$ (as discussed in
$\qquad$ example A on page 165). Report the code you used and the results of 10 of your simulations. Compare your finding to the actual value.
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Central Limit Theorem: Let $X_{1}, X_{2}, \ldots$ be a sequence of independent identically distributed random variables with mean $\mu$ and variance $\sigma^{2}$. Then

$$
\lim _{n \rightarrow \infty} P\left(\frac{\sum_{i=1}^{n} X_{i}-n \mu}{\sqrt{n} \sigma} \leq x\right)=\Phi(x)
$$

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$$
-\infty<x<\infty
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Similarly:
$\lim _{n \rightarrow \infty} P\left(\frac{\bar{X}-\mu}{\sigma / \sqrt{n}} \leq x\right)=\Phi(x)$
$-\infty<x<\infty$
$\qquad$

