1a) The mean of the errors is zero at each $x$
c) The variance of the errors is constant across $x$ values
b) The errors are normal at each $x$
d) The errors are independent
2) The $p$-value is the probability of observing a statistic at least as extreme as the one observed if the null hypothesis is true.
3) Power can be increased by increasing the sample size or by increasing the $\alpha$-level.
4)

5) If you knew nothing else about the student, regression to the mean would imply that they would score lower if they retook the test. A student scoring a 500 out of 800 (near the average) would score about the same if they retook it.
6) $\mathbf{4}$ (the number of treatment $\mathbf{d f}+\mathbf{1}$ )
7) $\mathbf{H}_{0}: \mu_{1}=\mu_{2}=\mu_{3}=\mu_{4}=\mu_{5} \mathbf{H}_{A}:$ at least two means differ
8) $r=-0.75$ b $\quad r=0.0 \quad$ c and d $\quad r=0.75 \quad$ a

1a) Increase by $\mathbf{1 . 9 0 1 8}$ degrees (look at the slope)
b) $\mathbf{p}$-value is less than $\mathbf{0 . 0 0 0 1}$, so we reject the null hypothesis.
c) square root of the MSE $=\mathbf{0 . 4 4 4 0}$ degrees.
d) $\mathbf{R}$-squared $=\mathbf{0 . 9 9 4 4}=\mathbf{9 9 . 4 4 \%}$
e) The curve in the residual vs. predicted plot shows us that the mean does not appear to be zero at each $x$ value (maybe caused by the outlier).

| 2a) Source | SS | DF | MS | F | Prob>F |
| :--- | :--- | :--- | :--- | :--- | :--- |
| Regression | 2053.64 | 1 | $\mathbf{2 0 5 3 . 6 4}$ | $\mathbf{9 6 . 5 5}$ | $<0.001$ |
| Error | $\mathbf{2 7 6 . 5 7}$ | 13 | $\mathbf{2 1 . 2 7}$ |  |  |
| Total | 2330.21 | $\mathbf{1 4}$ |  |  |  |

b) Determine the estimated regression equation.
slope $=$ SSxy $/$ SSxx $=62.46 / 1.90=32.88$
intercept $=$ average $\mathrm{y}-$ slope $*$ average $\mathrm{x}=36.94-(32.88)(1.49)=-12.06$
so, $y=-12.06+32.88 x$
c) the total $\mathrm{df}=\mathrm{n}-1=14$ and the error $\mathrm{df}=\mathrm{n}-2=13$, so n , the original sample size, is $\mathbf{1 5}$.
d) Determine a $90 \%$ interval for the slope $\beta_{1}$.
$\alpha=0.10, \alpha / 2=0.05$, and $\mathrm{df}=13$ so $\mathrm{t}=1.771$
$32.88 \pm 1.771 * \operatorname{sqrt}(21.27) / \mathrm{sqrt}(1.90)$
$32.88 \pm 5.93$ or $(\mathbf{2 6 . 9 5 , 3 8 . 8 1})$

